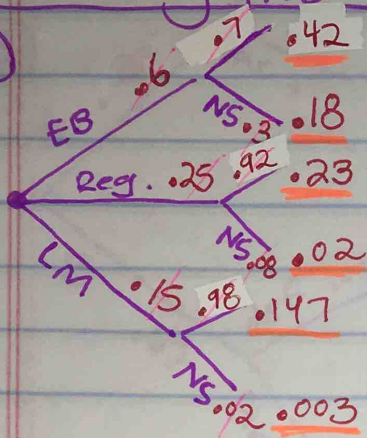


# AFM HW 5 - Using Tree Diagrams

①



(b)  $P(\text{no show}) = 0.18 + 0.02 + 0.003 = 0.203$  or 20.3%

(c)  $P(\text{no show AND LM}) = 0.003$  or 0.3%

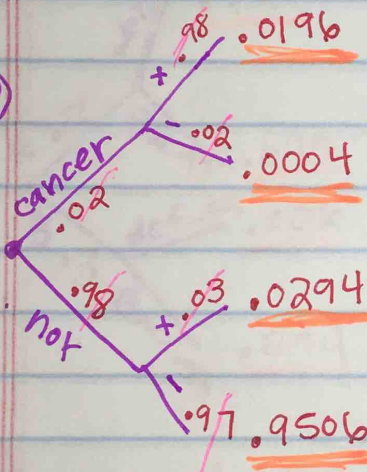
(d)  $P(\text{no show AND EB}) = 0.18$  or 18%

(e)  $P(\text{LM} | \text{NS}) = \frac{0.003}{0.203} = 0.0148$  or 1.48%

(f)  $P(\text{Reg} | \text{NS}) = \frac{0.02}{0.203} = 0.0985$  or 9.85%

(g)  $P(\text{EB} | \text{show up}) = \frac{0.42}{0.797} = 0.527$  or 5.27%

②



(b)  $P(+ | \text{cancer}) = \frac{0.0196}{0.02} = 0.98$

(c)  $P(+ | \text{not}) = \frac{0.0294}{0.98} = 0.03$

(d)  $P(- | \text{cancer}) = \frac{0.0004}{0.02} = 0.02$

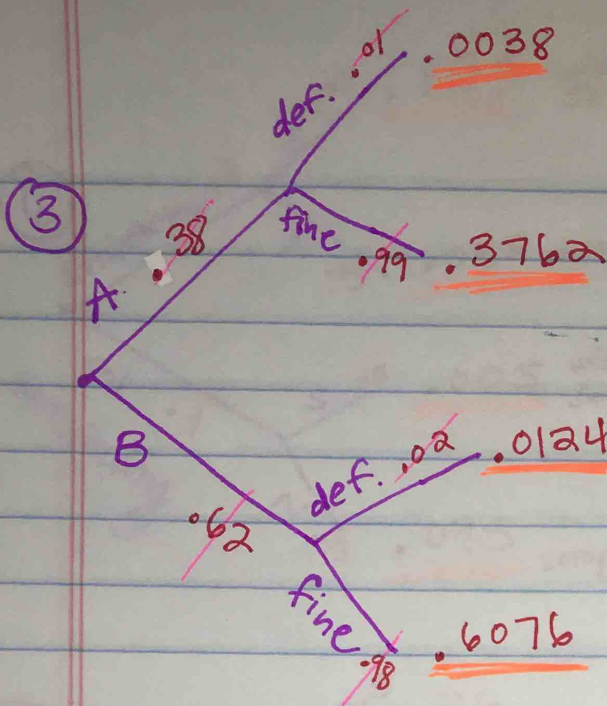
(e)  $P(- | \text{not}) = \frac{0.9506}{0.98} = 0.97$

(f)  $P(\text{pos}) = 0.0196 + 0.0294 = 0.049$   
 $P(\text{neg}) = 0.0004 + 0.9506 = 0.951$

(g)  $P(\text{cancer} | +) = \frac{0.0196}{0.0294 + 0.0196} = \frac{0.0196}{0.049} = 0.4$

(h)  $P(\text{not} | +) = \frac{0.0294}{0.0294 + 0.0196} = \frac{0.0294}{0.049} = 0.6$

(i)  $P(\text{cancer} | -) = \frac{0.0004}{0.9506 + 0.0004} = \frac{0.0004}{0.951} = 0.00042$

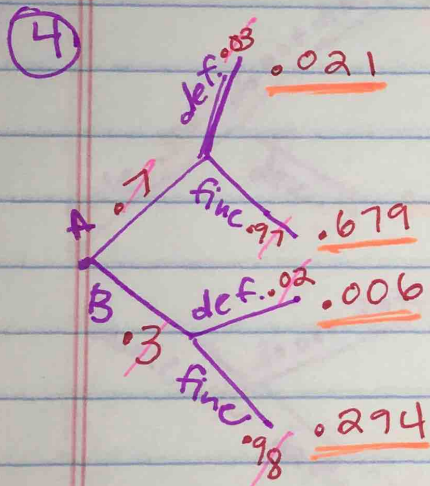


a)  $P(\text{not defective}) = .3762 + .6076 = .9838$

b)  $P(B | \text{not def.}) = \frac{.6076}{.3762 + .6076} = .6176$

c)  $P(A | \text{def.}) = \frac{.0038}{.0038 + .0124} = .2346$

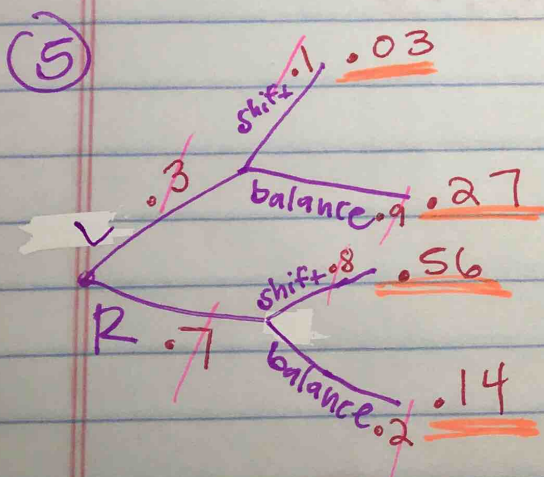
d)  $P(B | \text{def.}) = \frac{.0124}{.0038 + .0124} = .7654$



a)  $P(\text{defective}) = .021 + .006 = .027$

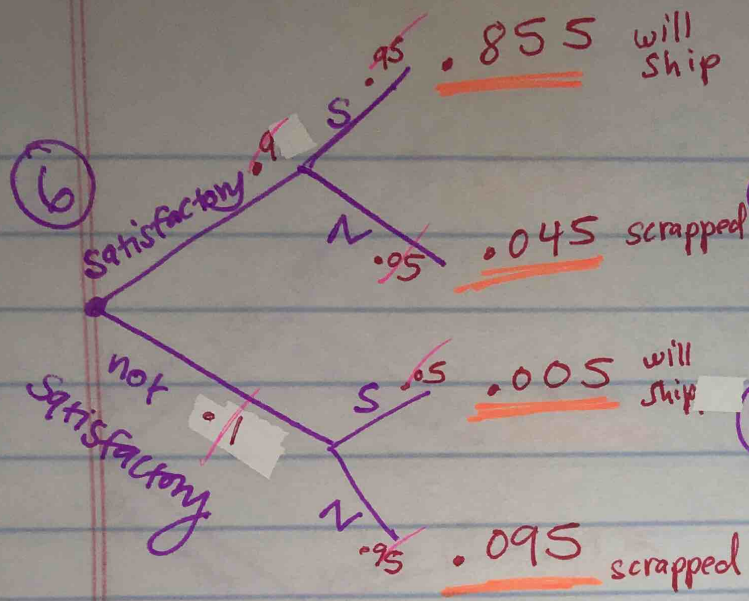
b)  $P(A | \text{defective}) = \frac{.021}{.027} = .778$

$P(B | \text{defective}) = \frac{.006}{.027} = .222$



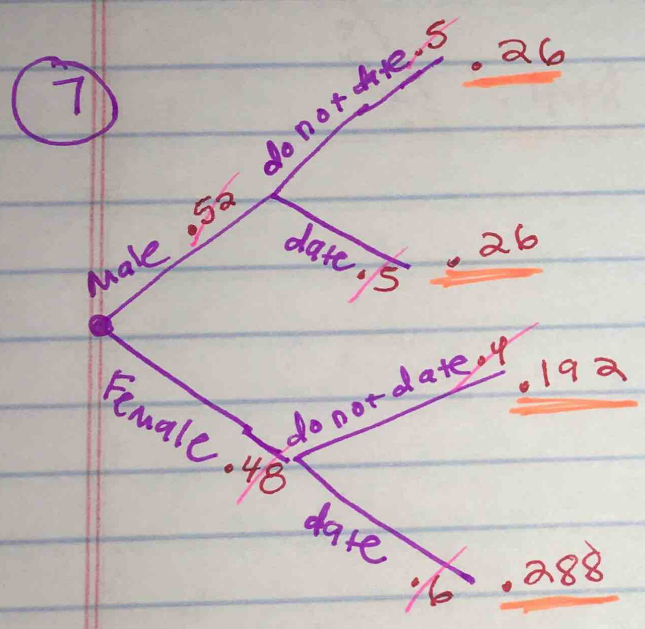
Probability play will go left if guard is balanced?

$P(\text{Left} | \text{Balanced}) = \frac{.27}{.27 + .14} = \frac{.27}{.41} = .6586$



a) Items classified as "good"  
 $.855 + .005 = .86$

b) Items shipped classified as good  
 $P(\text{satisfactory} | \text{ships}) = \frac{.855}{.855 + .005} = \frac{.855}{.86} = .994$

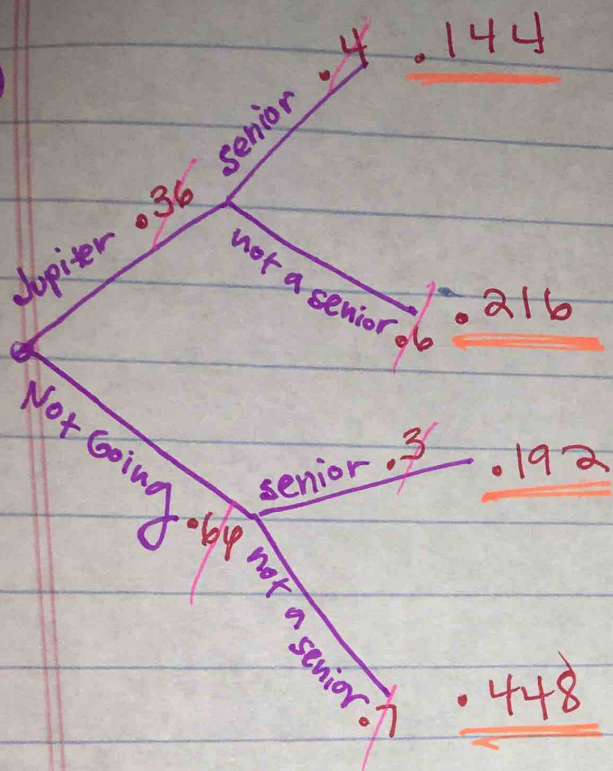


a)  $P(\text{does not date}) = .26 + .192 = .452$

b)  $P(\text{female and does not date}) = .192$

c)  $P(\text{male} | \text{date}) = \frac{.26}{.288 + .26} = \frac{.26}{.548} = .474$

8



a)  $P(\text{wants to go}) = 0.144 + 0.216$   
 $\cdot 0.36$

b)  $P(\text{senior and wants to go})$   
 $\cdot 0.144$

c)  $P(\text{senior})$   
 $\cdot 0.144 + 0.192 = 0.336$

d)  $P(\text{Not Going} | \text{senior})$   
 $\frac{0.192}{0.144 + 0.192} = \frac{0.192}{0.336} = 0.571$